C.7 Review Sections 1 and 2

DIRECTIONS: SHOW ALL WORK AND SET UPS FOR FULL CREDIT! Solve the system algebraically. 1)  $y = x^3 + x^2$  $y = -5x^2$  $= \times^{2} (\times + 6)$ 

Solve the system by elimination.

2) 
$$7x - 20 = 8y - 2(7x - 8y = 76) = -14x + 16y = -40$$
  
 $2x - 3x = 10$   $7(3x - 3y = 10) = 14x - 21y = 70$   
 $-5y = 30$ 

Find the inverse of A by hand if it has one, or state that the inverse does not exist. Show all work. [2

3) 
$$A = \begin{bmatrix} 0 & -6 \\ -4 & 6 \end{bmatrix}$$
  $\det A = 0 - \lambda 4 = -24$ 

$$A^{-1} = -\frac{1}{24} \begin{bmatrix} 0 & 6 \\ -4 & 6 \end{bmatrix}$$
  $\det A = \begin{bmatrix} -24 \\ -4 \\ -4 \end{bmatrix}$ 

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Solve the problem. Use your graphing calculator. [1]

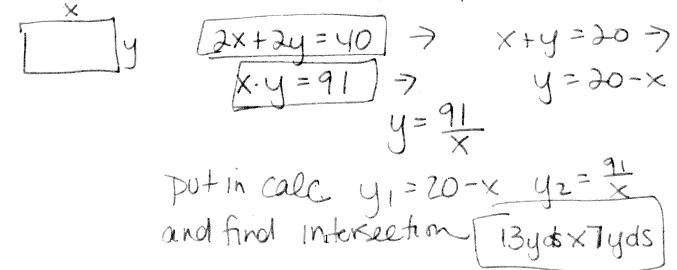
4) Find the market equilibrium for the given supply and demand functions. Here y represents price and x represents quantity.

$$y = 2600 - 90x$$
 (demand)  
 $y = 110x$  (supply)

$$2600-90x = 110x$$
 Price \$1430  
 $2600 = 200x$   
 $13 = x$   $y = 110 \cdot 13 = 1430$ 

Solve.

5) Find the dimensions of a rectangular enclosure with perimeter 40 yd and area 91  $yd^2$ .



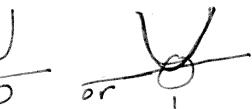
## Answer the question.

6) 2x - 7y = -175x + 3y = 19

> If your friend was going to solve this system of equations by first eliminating y, what general suggestions would you make so your friend could start on this in a systematic way?

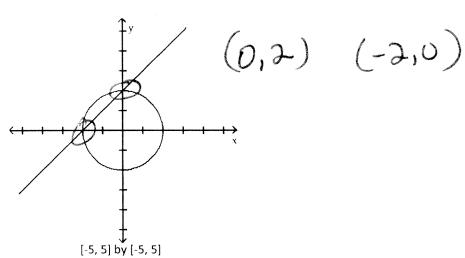
Multiply one or both equations by a number that would eliminate either x or y

7) If the graphs of a system of two equations are a line and a parabola, what are the possible numbers of solutions (with real coordinates) of this system?



Use the graph to estimate any solutions of the system.

8) 
$$x^2 + y^2 = 4$$
  
 $y = 2 + x$ 



Find the matrix product, if possible. Show all steps by hand. [2]

e matrix product, it possible. Show all steps by hand. [2]

9) 
$$\begin{bmatrix} 8 & 5 & -6 \\ 9 & 2 & -1 \end{bmatrix} \begin{bmatrix} -3 \\ 5 \\ 5 \end{bmatrix}$$
 $\begin{bmatrix} 1 \\ 1 \\ 2 \\ 1 \end{bmatrix} \begin{bmatrix} -3 \\ 5 \\ 5 \end{bmatrix}$ 
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Find a matrix A and a column matrix B that describe the following tables involving credits and tuition costs. Find the matrix product

AB, and interpret the significance of the entries of this product. [2]	4	3	
Credits College A College B Cost Tuition Student 1 6 9 College A \$86 Student 2 6 6 College B \$65	T6 9	7. \$86	\$ 1101
student 1's college tution @ both	Lo 6	$\frac{1}{2}$ [as] $\frac{1}{2}$	\$ 906
colleges is \$1101. Student a	x u		

11) The total number of cars sold at a used car lot for the years 1996 and 1997 was 688. The number of cars sold in 1997 was 3 times the number of cars sold in 1996. How many cars were sold in 1997?

$$X = cas = sold 1996$$
  
 $y = cons = sold in 1997$   
 $X + y = 688$   
 $y = 3x$   
 $y = 3x$   
 $y = 3x$ 

$$X + 3x = 688$$

$$\frac{4x}{4} = 688$$

$$\frac{4x}{4} = 688$$

$$\frac{4}{4} = 172$$

$$4 = 576$$